

L2 Introducing 10,000

We know that there is no 2-digit number beyond 99. 99 is the greatest 2-digit number. Similarly 999 is the greatest 3-digit number, and 9999 is the greatest 4-digit number.

Observe the following pattern:

$$\begin{aligned} 9 + 1 &= 10 = 10 \times 1 \\ 99 + 1 &= 100 = 10 \times 10 \\ 999 + 1 &= 1000 = 10 \times 100 \end{aligned}$$

We observe that

Greatest 1-digit number + 1 = Smallest 2-digit number

Greatest 2-digit number + 1 = Smallest 3-digit number

Greatest 3-digit number + 1 = Smallest 4-digit number

Following the pattern, we can expect that, on adding 1 to the greatest 4-digit number (9999 – nine thousand nine hundred and ninety nine) we get the smallest 5-digit number (9999 + 1 = 10,000 or ten thousand). Further we can expect that $10 \times 1000 = 10,000$ i.e. $9999 + 1 = 10,000 = 10 \times 1000$.

2.1 Expanding and reading 5-digit numbers

You know how to expand a 4-digit number like 2345

$2345 = 2 \times 1000 + 3 \times 100 + 4 \times 10 + 5$ and we read this as *Two thousand three hundred and forty five*.

$9999 = 9 \times 1000 + 9 \times 100 + 9 \times 10 + 9$ and we read this as *Nine thousand nine hundred and ninety nine*.

The first 5-digit number is $10,000 = 1 \times 10,000$ and we read this as *Ten thousand*.

We can use the same principle to expand any 5-digit number and read it too. So let us expand and read one of the numbers we used in the earlier lesson.

$26,751 = 2 \times 10,000 + 6 \times 1000 + 7 \times 100 + 5 \times 10 + 1$ and we read this as *Twenty six thousand seven hundred and fifty one*.

2.1.1 Write the expanded form and the 'reading' form or number name for the following:

a. 65,740

b. 89,234

c. 20,085

d. 57,306

e. 12,345

End of L2